$$P(v_e \rightarrow v_e) \approx 1 - \sin^2 2\theta_{13} \sin(\Delta m_{23}^2 L/E)$$

 $P(\nu_{\mu} \rightarrow \nu_{\mu}) \approx 1 - \sin^2 2\theta_{23} \sin(\Delta m_{23}^2 L/E)$

VO Max $\Delta m_{23}^{2} L/E = \pi/2$ $P(V_e \rightarrow V_e) \approx 1 - \sin^2 2\theta_{13} \sin(\Delta m_{23}^2 L/E)$

"Getting the most from future Long BaseLine neutrino experiments"

"General" Overview Olga Mena (La Sapienza, INFN) $P(v_{\mu} \rightarrow v_{\mu}) \approx 1 - sir^{2} \Theta_{23} sin(\Delta m_{23}^{2} L/E)$ $VO Max \Delta m_{2}^{2} L/E = \pi/2$

STANDARD THREE NEUTRINO MIXING $| u_lpha angle=U_{lpha i}| u_i angle$

$$\begin{split} U_{\alpha i} = \begin{pmatrix} 1 & & \\ c_{23} & s_{23} \\ -s_{23} & c_{23} \end{pmatrix} \begin{pmatrix} c_{13} & s_{13}e^{-i\delta} \\ 1 & & \\ -s_{13}e^{i\delta} & c_{13} \end{pmatrix} \begin{pmatrix} c_{12} & s_{12} \\ -s_{12} & c_{12} \\ & & 1 \end{pmatrix} \begin{pmatrix} e^{i\alpha_1/2} & 0 & 0 \\ 0 & e^{i\alpha_2/2} & 0 \\ 0 & 0 & 1 \end{pmatrix} \\ \\ \nu_{\mu} \leftrightarrow \nu_{\tau} & \nu_{\mu} \leftrightarrow \nu_{e} & \nu_{e} \rightarrow \nu_{\mu,\tau} \\ Atmospheric & Solar & 0\nu\beta\beta \\ Atmospheric & L/E~500Km/GeV & phases \end{split}$$

STANDARD THREE NEUTRINO EVOLUTION

$$i\frac{d}{dx}\left(\begin{array}{c} \nu_{e}\\ \nu_{\mu}\\ \nu_{\tau} \end{array}\right) = \frac{1}{2E} U_{PMNS}\left(\begin{array}{ccc} 0 & 0 & 0\\ 0 & \Delta m_{12}^{2} & 0\\ 0 & 0 & \Delta m_{13}^{2} \end{array}\right) U_{PMNS}^{\dagger}\left(\begin{array}{c} \nu_{e}\\ \nu_{\mu}\\ \nu_{\tau} \end{array}\right)$$



Both poorly known! Sign undetermined!

(13) : CHOOZ, SK, K2K, MINOS $\sin^2 \theta_{13} < 0.03$ $0 < \delta < 2\pi$



INVERTED

 $0 < \delta < 2\pi$

Fractional Flavor Content varying $\sin^2 \theta_{23}$

Neutrino Mass Squared



INVERTED

NORMAL



Fractional Flavor Content varying $\sin^2 \theta_{23}$

What is the probability of finding ν_e in ν_3 , $|U_{e3}|^2$? What is the neutrino mass ordering? What is the value of the CP Violating Phase, δ ? Is the atmospheric mixing angle θ_{23} maximal? Is it > or < $\frac{\pi}{4}$? Sensitivity to KNOWNS at $\frac{E_{\nu}}{L} \sim |\Delta m_{23}^2|$

$$P_{\nu_{\mu}\nu_{\mu}}^{\pm} \approx 1 - \sin^{2} 2\theta_{23} \sin^{2} \left(\frac{\Delta m_{23}^{2} L}{4E}\right) + \mathcal{O}(\theta_{13}^{2} \sin^{2} \left(\Delta m_{23}^{2} L/4E\right)) + \mathcal{O}(\cos \delta_{CP} \cdot \theta_{13} \cdot \Delta_{12} \cdot \sin(\Delta m_{23}^{2} L/4E)) + \mathcal{O}(\Delta_{12}^{2})$$

Variable Measured	$\frac{LBL}{\nu_{\mu} \to \nu_{\mu}}$	$\begin{array}{c} LBL \\ \nu_{\mu} \to \nu_{e} \\ \bar{\nu}_{\mu} \to \bar{\nu}_{e} \end{array}$	$\frac{Reactor}{\bar{\nu}_e \to \bar{\nu}_e}$	Comments
$\frac{ \Delta m_{32}^2 }{\sin^2 2\theta_{23}}$	Y	n	n	magnitude but not sign
	Y	n	n	$ heta_{23} \leftrightarrow rac{\pi}{2} - heta_{23}$ ambiguous

Atmospheric parameters errors (MINOS, T2K, NOvA) $\delta(\sin^2 2\theta_{23}) \approx 1\% - 3\% \ \delta(\Delta m_{23}^2) \approx 5\% - 10\%$

Atmospheric neutrino experiments -> Maltoni's talk!



H.Minakata, M.Sonoyama and H.Sugiyama, PRD70 (2004)



H.Minakata, M.Sonoyama and H.Sugiyama, PRD70 (2004)



H.Minakata, M.Sonoyama and H.Sugiyama, PRD70 (2004)

The error remains 10%-20%, NOT MUCH BETTER than the actual error



H.Minakata, M.Sonoyama and H.Sugiyama, PRD70 (2004)

The error remains 10%-20%, NOT MUCH BETTER than the actual error

$$\frac{\delta(\sin^2 \theta_{23})}{\delta(\sin^2 2\theta_{23})} = \frac{1}{4\cos 2\theta_{23}}$$

Large around $\pi/4!$

Variable Measured	$\frac{LBL}{\nu_{\mu} \to \nu_{\mu}}$	$\begin{array}{c} LBL \\ \nu_{\mu} \to \nu_{e} \\ \bar{\nu}_{\mu} \to \bar{\nu}_{e} \end{array}$	$\frac{\text{Reactor}}{\bar{\nu}_e \rightarrow \bar{\nu}_e}$	Comments
$\sin^2 heta_{13}$	n	n	Y	direct measurement
$\sin^2\theta_{23}\sin^2\theta_{13}$	n	Y	n	combination of $ heta_{23}$ and $ heta_{13}$
${ m sign}(\Delta m^2_{32})$	n	Y	n	via matter effects
$\cos \theta_{23} \sin \delta_{CP}$	n	Y	n	CP violation
$\cos\theta_{23}\cos\delta_{CP}$	n	?	n	extremely difficult

More suitable scenario to extract unknown parameters!

Subleading transitions $\nu_{\mu}(\bar{\nu}_{\mu}) \rightarrow \nu_{e}(\bar{\nu}_{e})$ at $\frac{E_{\nu}}{L} \sim |\Delta m^{2}_{23}|$

Variable Measured	$\frac{LBL}{\nu_{\mu} \to \nu_{\mu}}$	$\begin{array}{c} LBL \\ \nu_{\mu} \to \nu_{e} \\ \bar{\nu}_{\mu} \to \bar{\nu}_{e} \end{array}$	$\frac{Reactor}{\bar{\nu}_e \to \bar{\nu}_e}$	Comments
$\sin^2 heta_{13}$	n	n	Y	direct measurement
$\sin^2\theta_{23}\sin^2\theta_{13}$	n	Y	n	combination of $ heta_{23}$ and $ heta_{13}$
${ m sign}(\Delta m^2_{32})$	n	Y	n	via matter effects
$\cos \theta_{23} \sin \delta_{CP}$	n	Y	n	CP violation
$\cos\theta_{23}\cos\delta_{CP}$	n	?	n	extremely difficult

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More suitable scenario to extract unknown parameters!

Subleading transitions $\nu_{\mu}(\bar{\nu}_{\mu}) \rightarrow \nu_{e}(\bar{\nu}_{e})$ at $\frac{E_{\nu}}{L} \sim |\Delta m^{2}_{23}|$

In vacuum:

More suitable scenario to extract unknown parameters!

Subleading transitions $\nu_{\mu}(\bar{\nu}_{\mu}) \rightarrow \nu_{e}(\bar{\nu}_{e})$ at $\frac{E_{\nu}}{L} \sim |\Delta m^{2}_{23}|$

In vacuum:

$$P_{\nu_{\mu}\nu_{e}(\bar{\nu}_{\mu}\bar{\nu}_{e})} = s_{23}^{2} \sin^{2} 2\theta_{13} \sin^{2} \frac{\Delta m_{13}^{2}L}{4E}$$

More suitable scenario to extract unknown parameters!

Subleading transitions $\nu_{\mu}(\bar{\nu}_{\mu}) \rightarrow \nu_{e}(\bar{\nu}_{e})$ at $\frac{E_{\nu}}{L} \sim |\Delta m^{2}_{23}|$

In vacuum:

$$P_{\nu_{\mu}\nu_{e}(\bar{\nu}_{\mu}\bar{\nu}_{e})} = s_{23}^{2} \sin^{2} 2\theta_{13} \sin^{2} \frac{\Delta m_{13}^{2}L}{4E}$$
 Atmospheric

More suitable scenario to extract unknown parameters!

Subleading transitions $\nu_{\mu}(\bar{\nu}_{\mu}) \rightarrow \nu_{e}(\bar{\nu}_{e})$ at $\frac{E_{\nu}}{L} \sim |\Delta m^{2}_{23}|$

In vacuum:

 $P_{\nu_{\mu}\nu_{e}(\bar{\nu}_{\mu}\bar{\nu}_{e})} = s_{23}^{2} \sin^{2} 2\theta_{13} \sin^{2} \frac{\Delta m_{13}^{2}L}{4E}$ Atmospheric + $c_{23}^{2} \sin^{2} 2\theta_{12} \sin^{2} \frac{\Delta m_{12}^{2}L}{4E}$

More suitable scenario to extract unknown parameters!

Subleading transitions $u_{\mu}(\bar{\nu}_{\mu}) \rightarrow \nu_{e}(\bar{\nu}_{e})$ at $\frac{E_{\nu}}{L} \sim |\Delta m^{2}_{23}|$

In vacuum:

$$\begin{split} P_{\nu_{\mu}\nu_{e}(\bar{\nu}_{\mu}\bar{\nu}_{e})} &= s_{23}^{2} \, \sin^{2} 2\theta_{13} \, \sin^{2} \frac{\Delta m_{13}^{2} L}{4E} & \text{Atmospheric} \\ &+ c_{23}^{2} \, \sin^{2} 2\theta_{12} \, \sin^{2} \frac{\Delta m_{12}^{2} L}{4E} & \text{Solar} \end{split}$$

More suitable scenario to extract unknown parameters!

Subleading transitions $u_{\mu}(\bar{\nu}_{\mu}) \rightarrow \nu_{e}(\bar{\nu}_{e})$ at $\frac{E_{\nu}}{L} \sim |\Delta m^{2}_{23}|$

In vacuum:

$$\begin{split} P_{\nu_{\mu}\nu_{e}(\bar{\nu}_{\mu}\bar{\nu}_{e})} &= s_{23}^{2} \sin^{2} 2\theta_{13} \sin^{2} \frac{\Delta m_{13}^{2}L}{4E} & \text{Atmospheric} \\ &+ c_{23}^{2} \sin^{2} 2\theta_{12} \sin^{2} \frac{\Delta m_{12}^{2}L}{4E} & \text{Solar} \\ &+ \tilde{J} \cos \left(\pm \delta - \frac{\Delta m_{13}^{2}L}{4E} \right) \frac{\Delta m_{12}^{2}L}{4E} \sin \frac{\Delta m_{13}^{2}L}{4E} \end{split}$$

More suitable scenario to extract unknown parameters!

Subleading transitions $u_{\mu}(\bar{\nu}_{\mu}) \rightarrow \nu_{e}(\bar{\nu}_{e})$ at $\frac{E_{\nu}}{L} \sim |\Delta m^{2}_{23}|$

In vacuum:

 $P_{\nu_{\mu}\nu_{e}(\bar{\nu}_{\mu}\bar{\nu}_{e})} = s_{23}^{2} \sin^{2} 2\theta_{13} \sin^{2} \frac{\Delta m_{13}^{2}L}{4E} \qquad \text{Atmospheric}$ $+c_{23}^{2} \sin^{2} 2\theta_{12} \sin^{2} \frac{\Delta m_{12}^{2}L}{4E} \qquad \text{Solar}$ $+\tilde{J} \cos\left(\pm \delta - \frac{\Delta m_{13}^{2}L}{4E}\right) \frac{\Delta m_{12}^{2}L}{4E} \sin \frac{\Delta m_{13}^{2}L}{4E}$

More suitable scenario to extract unknown parameters!

Subleading transitions $u_{\mu}(\bar{\nu}_{\mu}) \rightarrow \nu_{e}(\bar{\nu}_{e})$ at $\frac{E_{\nu}}{L} \sim |\Delta m^{2}_{23}|$

In vacuum:

$$\begin{split} P_{\nu_{\mu}\nu_{e}(\bar{\nu}_{\mu}\bar{\nu}_{e})} &= s_{23}^{2} \sin^{2} 2\theta_{13} \sin^{2} \frac{\Delta m_{13}^{2}L}{4E} & \text{Atmospheric} \\ &+ c_{23}^{2} \sin^{2} 2\theta_{12} \sin^{2} \frac{\Delta m_{12}^{2}L}{4E} & \text{Solar} \\ &+ \tilde{J} \cos \left(\pm \int -\frac{\Delta m_{13}^{2}L}{4E} \right) \frac{\Delta m_{12}^{2}L}{4E} \sin \frac{\Delta m_{13}^{2}L}{4E} & \text{Interference} \end{split}$$

More suitable scenario to extract unknown parameters!

Subleading transitions $u_{\mu}(\bar{\nu}_{\mu}) \rightarrow \nu_{e}(\bar{\nu}_{e})$ at $\frac{E_{\nu}}{L} \sim |\Delta m_{23}^{2}|$

In vacuum:

 $P_{\nu_{\mu}\nu_{e}(\bar{\nu}_{\mu}\bar{\nu}_{e})} = s_{23}^{2} \sin^{2} 2\theta_{13} \sin^{2} \frac{\Delta m_{13}^{2}L}{4E} \qquad \text{Atmospheric}$ $+c_{23}^{2} \sin^{2} 2\theta_{12} \sin^{2} \frac{\Delta m_{12}^{2}L}{4E} \qquad \text{Solar}$ $+\tilde{J} \cos\left(\pm \delta - \frac{\Delta m_{13}^{2}L}{4E}\right) \frac{\Delta m_{12}^{2}L}{4E} \sin \frac{\Delta m_{13}^{2}L}{4E} \qquad \text{Interference}$

 $\widetilde{J} \equiv \cos \theta_{13} \, \sin 2 \theta_{13} \, \sin 2 \theta_{23} \, \sin 2 \theta_{12} \sim 2 \sin \theta_{13}$

More suitable scenario to extract unknown parameters!

Subleading transitions $\nu_{\mu}(\bar{\nu}_{\mu}) \rightarrow \nu_{e}(\bar{\nu}_{e})$ at $\frac{E_{\nu}}{L} \sim |\Delta m^{2}_{23}|$

More suitable scenario to extract unknown parameters!

Subleading transitions $\nu_{\mu}(\bar{\nu}_{\mu}) \rightarrow \nu_{e}(\bar{\nu}_{e})$ at $\frac{E_{\nu}}{L} \sim |\Delta m^{2}_{23}|$

In matter:

More suitable scenario to extract unknown parameters!

Subleading transitions $u_{\mu}(\bar{\nu}_{\mu}) \rightarrow \nu_{e}(\bar{\nu}_{e})$ at $\frac{E_{\nu}}{L} \sim |\Delta m^{2}_{23}|$

In matter:

$$\sin \Delta_{13} \rightarrow \frac{\Delta_{13}}{\Delta_{13} \mp aL} \sin(\Delta_{13} \mp aL) \\ \sin \Delta_{12} \rightarrow \frac{\Delta_{12}}{\Delta_{12} \mp aL} \sin(\Delta_{12} \mp aL)$$

$$\Delta_{ij} = rac{\Delta m_{ij}^2 L}{4E} \qquad a = G_F n_e / \sqrt{2}$$

More suitable scenario to extract unknown parameters!

Subleading transitions $\nu_{\mu}(\bar{\nu}_{\mu}) \rightarrow \nu_{e}(\bar{\nu}_{e})$ at $\frac{E_{\nu}}{L} \sim |\Delta m^{2}_{23}|$

In matter:

$$\sin \Delta_{13} \rightarrow \frac{\Delta_{13}}{\Delta_{13} \mp aL} \sin(\Delta_{13} \mp aL) \\ \sin \Delta_{12} \rightarrow \frac{\Delta_{12}}{\Delta_{12} \mp aL} \sin(\Delta_{12} \mp aL)$$

$$\Delta_{ij} = rac{\Delta m_{ij}^2 L}{4E} \qquad a = G_F n_e / \sqrt{2}$$

If the hierarchy is NORMAL $\Delta_{13} > 0$ $P_{\nu_{\mu}\nu_{e}}$ enhancement If the hierarchy is INVERTED $\Delta_{13} < 0$ $P_{\bar{\nu}_{\mu}\bar{\nu}_{e}}$ enhancement **Hierarchy extraction: matter effects!**

Off Axis? (Counting experiments) @First peak @Second peak @Same E/L

Off Axis? (Counting experiments) @First peak T2K, NOVA @Second peak @Same E/L

Off Axis? (Counting experiments) @First peak ← T2K, NOvA @Second peak @Same E/L

Off Axis? (Counting experiments) @First peak ← T2K, NOvA @Second peak @Same E/L

Off Axis? (Counting experiments) @First peak — T2K, NOVA @Second peak @Same E/L

Off Axis? (Counting experiments) @First peak — T2K, NOVA NOVA++(?) @Second peak @Same E/L
Off Axis? (Counting experiments) @First peak — T2K, NOvA NOvA++(?) @Second peak @Same E/L SuperNOvA

Off Axis? (Counting experiments) @First_peak — T2K, NOvA NOvA++(?) @Second peak @Same E/L SuperNOvA

Off Axis? (Counting experiments) @First_peak — T2K, NOvA NOvA++(?) @Second peak @Same E/L SuperNOvA

Off Axis? (Counting experiments) @First_peak — T2K, NOvA NOvA++(?) @Second peak @Same E/L SuperNOvA

Off Axis? (Counting experiments) @First_peak — T2K, NOvA NOvA++(?) @Second peak @Same E/L SuperNOvA

Off Axis? (Counting experiments) @First_peak — T2K, NOvA NOvA++(?) @Second peak @Same E/L SuperNOvA

Off Axis? (Counting experiments) @First_peak — T2K, NOvA NOvA++(?) @Second peak @Same E/L SuperNOvA

Off Axis? (Counting experiments) @First_peak — T2K, NOVA NOVA++(?) @Second peak @Same E/L SuperNOvA

Off Axis? (Counting experiments) @First_peak — T2K, NOVA NOvA++(?) @Second peak @Same E/L SuperNOvA

On-Axis (Wide band)? (Spectrum information) @First peak SPL Shoposhnikova's talk @Second peak T2KK @Beyond

Off Axis? (Counting experiments) @First_peak — T2K, NOVA @Second peak @Same E/L — SuperNOvA

On-Axis (Wide band)? (Spectrum information) @First peak - SPL Shoposhnikova's talk @Second peak - T2KK @Beyond

How NEAR is "NEAR"?

Project Phase	Critical Decision
Initiation—There is a need that cannot be met through other than material means.	CD-0, Approve Mission Need
Definition—The selected alternative and approach is the optimum solution.	CD-1, Approve Alternative Selection and Cost Range
Execution—Definitive cost, scope, and schedule baselines have been developed.	CD-2, Approve Performance Baseline
Execution—Project is ready for implementation.	CD-3, Approve Start of Construction
Transition/Closeout—Project is ready for turnover or transition to operations.	CD-4, Approve Start of Operations

Table 1-1. Project Phases and Corresponding Critical Decisions





- Apr 2006: CD-1 review. Unanimous recommendation to approve CD-1.
- Oct 2006: CD-2 review.
- Jan 2007: CD-3a

51

- Oct 2007: CD-3b, begin Far Detector enclosure
- Oct 2008: First module factory ready
- Jun 2009: Occupancy of the FD enclosure
- Nov 2010: 5 kT completed, start taking data
- Nov 2011: Far Detector completed

Gary Feldman

P5 at Fermilab

18 April



By using a conventional, albeit more intense, neutrino beam:

 $\pi^+ \rightarrow \mu^+ \nu_\mu \quad < 1\% \nu_e$

In an Off-Axis detector location



Why off-axis?

Simple tuning of BEAM ENERGY

Narrow beam: concentrates the events @ OM (counting exp)

"Lower" electron neutrino intrinsic background

No high energy tail: High energy neutrinos produce NC events, kinematical suppression of NC background

Why NOT off-axis?

Narrow beam: concentrates the events @ OM (counting exp)

Absolute numbers are crucial: HIGH STATISTICS

ONLY TWO MEASUREMENTS: NUMBER OF NEUTRINO AND ANTINEUTRINO EVENTS.

VIRTUALLY IMPOSSIBLE TO RESOLVE THE DEGENERACIES



Why NOT off-axis adding a 2nd detector? Where?

A) AROUND SECOND PEAK, @ DIFFERENT L/E? CP Violating and matter effects are very different

NOvA++ 25 kton, L= 810 km @ 12 km off axis (E = 2 GeV Second @735 km @ 30 km off-axis (E = 0.64 GeV) CP Violating effects are larger by 3 and matter effects are smaller by a factor of 3.

$$S_{23}^{2} \sin^{2} 2\theta_{13} \left(\frac{\Delta_{13}}{\tilde{B}_{\mp}}\right)^{2} \sin^{2} \left(\frac{\tilde{B}_{\mp}L}{2}\right) \qquad \tilde{B}_{\mp} \equiv |A \mp \Delta_{13}|$$
$$\tilde{B}_{\mp} \equiv |A \mp \Delta_{13}|$$
$$\tilde{J} \frac{\Delta_{12}}{A} \frac{\Delta_{13}}{\tilde{B}_{\mp}} \sin\left(\frac{AL}{2}\right) \sin\left(\frac{\tilde{B}_{\mp}L}{2}\right) \cos\left(\pm\delta - \frac{\Delta_{13}L}{2}\right)$$

3 σ Sensitivity to $\theta_{13} \neq 0$





Gary Feldman 28 P5 at Fermilab

18 April

95% CL Resolution of the Mass Ordering

95% CL Resolution of the Mass Hierarchy

18 April



 $^{\circ}O^{\wedge}$











Neutrino - Antineutrino



In matter! @810 km



95% CL Resolution of the Mass Ordering

95% CL Resolution of the Mass Hierarchy







95% CL Resolution of the Mass Ordering





Why NOT off-axis adding a 2nd detector? Where? A) AROUND SECOND PEAK, @ DIFFERENT L/E? CP Violating and matter effects are very different

T2KK 4 MW

270 kton,L= 295 km, 2.5 deg off axis (E=0.65GeV) 270 kton,L= 1050 km, 2.5 deg off axis (E=0.65 GeV) CP Violating effects are larger by a factor of 3 while matter effects remain the same. However, by making use of the energy information at the second peak, they can resolve the hierarchy and the intrinsic degeneracy.

5 energy bins for appearance, 20 for disappearance



One of the authors (TK) thanks Edward Witten for the encouragement of exploring the possibility discussed in this paper. This work was supported in part by the Grant-in-Aid



M. Ishitsuka, T. Kajita, H. Minakata and H. Nunokawa, PRD'05



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M. Ishitsuka, T. Kajita, H. Minakata and H. Nunokawa, PRD'05



M. Ishitsuka, T. Kajita, H. Minakata and H. Nunokawa, PRD'05




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2σ (95.45%) CL for 1 DOF IS LESS THAN 85% CL FOR 2 DOF

By running a Monte Carlo technique for each parameter space point, generating 10 random experiments, one can see that the results do NOT FOLLOW the 1 DOF ASSUMED STATISTICS



I.

2σ (95.45%) CL for 1 DOF IS LESS THAN 85% CL FOR 2 DOF

By running a Monte Carlo technique for each parameter space point, generating 10⁶ random experiments, one can see that the results do NOT FOLLOW the 1 DOF ASSUMED STATISTICS



I.

By making use of the **Solar term** and its different relative size and oscillation patterns for Kamioka and Korea baselines (due, obviously to the longer Korea baseline):



T. Kajita, H. Minakata, S. Nakayama and H. Nunokawa, hep-ph/0609286

"Resolving Eight-Fold neutrino parameter degeneracy by two identical detectors with different baselines,"

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T. Kajita, H. Minakata, S. Nakayama and H. Nunokawa, hep-ph/0609286 "Resolving Eight-Fold neutrino parameter degeneracy by two identical detectors with different baselines,"

Why NOT off-axis adding a detector? Where?

A) AROUND SECOND PEAK, @ DIFFERENT L/E? CP Violating and matter effects are very different

B) AT THE SAME E/L, @ DIFFERENT L? Matter effects are very different

Needs only neutrino running Only valid (although optimal, degeneracy free!) for the hierarchy extraction (though!)

SuperNOvA













neutrino event@IMB







Neutrino - Antineutrino

NEAR@200 km

FAR@810 km



Neutrino - Neutrino



Neutrino – Neutrino

H. Minakata, H. Nunokawa and S. Parke, PRD (2003).

$$rac{lpha_+}{lpha_-}\simeq 1+2\left(a_{
m N}L_{
m N}-a_{
m F}L_{
m F}
ight)\left(rac{1}{\Delta_{13}}-rac{1}{ au(\Delta_{13})}
ight)$$

It is important that the matter effects are significantly different for both locations.

Ellipses flattens as the E/L's become identical.

 α =slope

Even if the ratio of the slopes is large, the WIDTH is crucial, the ellipses might overlap: Keeping E/L constant KEY to resolve the hierarchy



O.M, S. Palomares-Ruiz and S. Pascoli,

"Determining the neutrino mass hierarchy and CP violation in NOvA with a second off-axis detector", PRD (2006)



ARRÊT

Property of Er Chol ase.cor

What about combining T2K and NOvA?



NO ν A and T2K: The race for the neutrino mass hierarchy Olga Mena¹, Hiroshi Nunokawa² and Stephen Parke¹ hep-ph/0609011

2 km

Ash Rive

D

3 km

In principle, there are available locations at the Ashriver far site!

5 km

14 km

EP.

What does PHASE I mean? NOvA 30 kton detector 24% eff 0.66 MW 6.5 10^20 POT/yr 5 years of neutrino running

T2K 22.5 kton detector 70% eff 0.75 MW 10^21 POT/yr 5 years of neutrino running

Both experiments have been considered as counting experiments: No binning!















Nature's choice: negative hierarchy



Ś

PHASE "II" (I x 5), ONLY NEUTRINOS

Nature's choice: positive hierarchy



 $\Delta m^2_{13} = 2.4 imes 10^{-3} \ {
m eV}^2$

 $\Delta m^2_{13} = 3 imes 10^{-3} \ {
m eV}^2$

PHASE "II" (I x 5), ONLY NEUTRINOS

Nature's choice: positive hierarchy



 $\Delta m^2_{13} = 2.4 imes 10^{-3} \ {
m eV}^2$

 $\Delta m^2_{13} = 3 imes 10^{-3} \ {
m eV}^2$

PHASE "II" (I x 5), ONLY NEUTRINOS Nature's choice: positive hierarchy

NOvA and T2K, or T2K and NOvA

could provide the ideal scenario for precision lepton flavor physics, due to the different matter effects in the two experiments: It is CRUCIAL to optimize the detector(s) location(s)



 $\Delta m^2_{13} = 2.4 imes 10^{-3} \ {
m eV}^2$

 $\Delta m^2_{13} = 3 imes 10^{-3} \ {
m eV}^2$

Why on-axis, i.e wide band beam?

- Higher energy implies longer baselines, larger matter effects (BNL-> Homestake (2540 km), Diwan et al, PRD'03).
- (FNAL-Homestake (1280 km), FNAL-> Henderson (1480 km)? Higher on-axis flux
- Broad spectrum: many different E/L 's simultaneously
- Energy information, not only rely on systematics

Diwan et al, PRD'03

Why Broadband Beam?

observe multiple nodes extraction of oscillating signal from background.

larger energies larger cross sections less running time for anti-neutrinos Sensitive to different parameters in different energy regions:

	Т	II	III
$sin^2 2\theta_{13}$	+	+	+
sign(∆m² _{₃₂})	0	0	++
$\delta_{_{\rm CP}}$	+	++	+
solar	++	+	+



Diwan et al, PRD'03



Figure 1: BINL wide band spectrum with the new graphite target and horn design. This spectrum is at 0 degrees with respect to the proton beam on target and the normalization is at 1 km from the target.
Why NOT on-axis?

Higher energy implies longer baselines, lower fluxes

High energy tail: NC backgrounds

Broad spectrum: Only useful if good energy resolution

An excellent detection technique is needed:

Large mass to compensate larger baselines GOOD ENERGY RESOLUTION AND NC REJECTION PROPOSAL FOR AN EXPERIMENTAL PROGRAM IN NEUTRINO PHYSICS AND PROTON DECAY IN THE HOMESTAKE LABORATORY



Aug 2006 ∞ <1arXiv:hep-ex/0608023

PROPOSAL FOR AN EXPERIMENTAL PROGRAM IN NEUTRINO PHYSICS AND PROTON DECAY IN THE HOMESTAKE LABORATORY

> Discovery reach for $\Delta m > 0$ at 3σ 300 kton X IMW 150 5 yr neutrino + 100 5 yr antineutrino True value of δ_{CP} 50 FNAL-Homestake: 0 -50 1300 km -100BNL-Homestake -1502500 km 10-3 10^{-2} 10^{-1} True value of $\sin^2 2\theta_{13}$

Aug 2006 ∞ <1arXiv:hep-ex/0608023

PROPOSAL FOR AN EXPERIMENTAL PROGRAM IN NEUTRINO PHYSICS AND PROTON DECAY IN THE HOMESTAKE LABORATORY

> CPV discovery reach at 3σ 150 100 Urue value of δ_{CP} 50 0 -50-100-15010-3 10-1 10^{-2} True value of $\sin^2 2\theta_{13}$

300 kton X IMW 5 yr neutríno + 5 yr antíneutríno FNAL-Homestake: 1300 km BNL-Homestake 2500 km

US Long Baseline Neutrino experiment FNAL/BNL joint study: report will appear soon!

Broad band vs off-axis beam, detection techniques, proton plan...large underground detector presumably located at the:

NSF's planned DUSEL facility

(Deep Underground Science and Engineering Laboratory) Soudan mine (MN), Henderson mine (CO), Homestake mine (SD) and others are being considered as possible sites.

Dark matter, Neutrinoless double beta decay, Solar neutrinos, Geoneutrinos, Proton decay, LBL neutrinos, Nuclear Astrophysics...

Barger et al. hep-ph/0610301

Setup	POT ν/yr :	t_{ν} [yr]	POT $\bar{\nu}/{\rm yr}$	t_{ν} [yr]	P_{Target} [MW]	$L [\mathrm{km}]$	Detector technology	$m_{\rm Det}$ [kt]	$\mathcal{L} \; [\mathrm{Mt} \mathrm{MW} 10^7 \mathrm{s}]$
$NO\nu A$	$10 \cdot 10^{20}$	3	$10 \cdot 10^{20}$	3	$1 (\nu)$	810	Liquid argon TPC	100	1.02
WBB+WC	$22.5\cdot10^{20}$	5	$45 \cdot 10^{20}$	5	$1 (\nu) + 2 (\bar{\nu})$	1290	Water Cherenkov	300	7.65
WBB+LAr	$22.5 \cdot 10^{20}$	5	$45 \cdot 10^{20}$	5	$1 (\nu) + 2 (\bar{\nu})$	1290	Liquid argon TPC	100	2.55
T2KK	$52 \cdot 10^{20}$	4	$52\cdot 10^{20}$	4	$4(\nu)$	295 + 1050	Water Cherenkov	270 + 270	17.28

TABLE I: Setups considered, numbers of protons on target per year (POT/yr) for the neutrino and antineutrino running modes, running times in which these be achieved, corresponding target power P_{Target} , baselines L, detector technology, detector mass m_{Det} , and exposure \mathcal{L} .



Barger et al. hep-ph/0610301

NOvA CP performance is really good

For the sign extraction, better WBB option



Fraction of delta =0.5 "The" Thing Everybody can Agree on:

• Physics of $u_{\mu} \rightarrow \nu_{e}$ together with $u_{\mu} \rightarrow \nu_{\mu}$

is a Fantastic Laboratory for Lepton Flavor Physics!!!

• Fraction u_e in u_3

• ν Mass Hierarchy

- Leptonic CP Violation
- Is u_{τ} or u_{μ} the dominant component of u_{3} ?

Other Things Everybody can Agree on:

 Power of Neutrino Beam: at least a 1 Mega-Watt proton source

 Size of Neutrino Detector: fraction of Mega-Ton detector

π⁰ rejection:
 EXCELLENT

Physics Reach:

Be Capable of detetmining $\sin^2 2\theta_{13}, \ sign(\delta m_{31}^2), \ \sin \delta$ pushing to $\ \sin^2 2\theta_{13} \Rightarrow 0.002$ $(P_{atm} = P_{sol} @ 1st pk)$

Other Physics:

Proton Decay, Supernova, . . .

Less Agreement:

- Counting v Spectrum
- On Axis v Off Axis
- Location of Detector
- Detector Technology
- etc

DIVIDED,

we will be CONQUERED !!!

pdg 2026:



 $\sin^2 heta_{12} \approx 0.31$ $\sin^2 heta_{13} \approx 0.007$ $\sin^2 heta_{23} \approx 0.60$ $\delta \approx 3\pi/4$

Referen	ice	Hierarchy	$\sin^2 2\theta_{23}$	$\tan^2\theta_{12}$	$\sin^2\theta_{13}$	Α	[80]	Normal	0.98 - 1.0	0.38 - 0.50	0.002 - 0.003
A	М					= AB	[81]	Normal	0.99	0.49	0.0002
Anarch	y Mc	Dael:			> 0.011 @ 0-	BB	[82]	Normal	0.97	0.40	0.0016 - 0.0025
aGM	[18]	Lither			$\geq 0.011 \oplus 2\sigma$	JLM	[83]	Normal	1.0	0.41	0.019
$L_e - L_\mu$	$-L_{\tau}$	Models:				Mae	[84]	Normal			0.048
BM	[35]	Inverted			0.00029	Р	[85]	Normal	0.99	0.17 - 0.29	0.0004 - 0.0025
BCM	[36]	Inverted			0.00063	A ₄ Tetr	rahed	ral Models:			
GMN1	[37]	Inverted		≥ 0.52	≤ 0.01	ABGMP	[49]	Normal	0.997 - 1.0	0.365 - 0.438	0.0037 - 0.00069
GL	[38]	Inverted			0	AKKL	[50]	Normal			0.04 - 0.006
\mathbf{PR}	[39]	Inverted		≤ 0.58	≥ 0.007	Ma	[51]	Normal	1.0	0.45	0
S ₃ and S ₄ Models:			SO(3) Models:								
CFM	[40]	Normal			0.00006 - 0.001	Μ	[52]	Normal	0.87 - 1.0	0.46	0.00005
HLM	[41]	Normal	1.0	0.43	0.0044	Transformer	7	Madalas			
		Normal	1.0	0.44	0.0034	CDD	E Derc	Normal			0.081 0.001
KMM	[42]	Inverted	1.0		0.000012	CPP	႞ၣၣ႞	Inormal			0.081 - 0.091
MN	[43]	Normal			0.0024			Inverted			≥ 0.007
MNY	[44]	Normal			0.000004 - 0.00003	wv	[E 4]	Fith or			2 0.032
MPR	[45]	Normal			0.01 - 0.064	W I	[54]	Either			0.0006 - 0.003
\mathbf{RS}	[46]	Inverted	$\theta_{23} \geq 45^\circ$		≤ 0.02			Either			0.002 - 0.02
		Normal	$\theta_{23} \leq 45^\circ$		0			Eitner			0.02 - 0.15
TY	[47]	Inverted	0.93	0.43	0.0025	P.M	- [50]	Normal	0.88	0.33	0.015 0.028
Т	[48]	Normal			0.0016 - 0.0036	Dama	a [39]	Normal	0.00	0.33	0.013
D	[55]	Normal			0.008 - 0.14	_		Inverted	0.98	0.44	0.024
EH	[56]	Normal	0.98	0.32	0.014	BMS	V [60]	Inverted	0.00	0.25	> 0.01
		Normal	0.98	0.34	0.012	BKO	т [61]	Normal	0.98	0.28	0.0001 - 0.0006
		Normal	0.99	0.45	0.0009	BO	[62]	Normal	0.98 - 1.0	0.29 - 0.46	3 0.0014
		Normal	0.97	0.30	0.014	BN	[63]	Normal	0.00 1.0	0.20 0.10	0.0009 - 0.016
Н	[57]	Normal	1.0	0.42	0.0033	BeMa	a [64]	Normal	0.93	0.40	0.012
Κ	[58]	Normal	0.99 - 1.0	0.40 - 0.62	0.0027	BRT	[65]	Normal	0.99	0.35	0.0024
						BW	[66]	Normal			O(0.01)
Albright and Chen					CM	[67]	Normal	1.0	0.41	0.014	
mongin und onen,					DR	[68]	Normal	0.98	0.40	0.0025	
han nh /0/ 00127					DMM	[[69]	Normal			0.0036 - 0.012	
nep-pn/060813/						FO	[70]	Normal	0.90	0.31	0.04

Models with Normal Hierarchy



Albright and Chen, hep-ph/0608137

Thank you very much!

J. Burguet-Castell, A. Cervera, J. Cooper, A. Donini,
G. Feldman, B. Gavela, JJ. Gomez, P. Hernandez, H.Nunokawa,
S. Palomares, A. Para, S. Parke, S. Pascoli, S.Rigolin

Why a near detector is better than @ second peak? Because it needs just half exposure (only for Hierarchy, though!) SuperNOvA95 % CL Hierarchy Resolution 80 Nova + 2nd OM 8 ŝ 60 detector(50 LAr*2) of Fraction only neutrinos 40 20 0 0.02 0.1 0.04 0.06 0.08 0 $\sin^2 2\theta_{13}$

Comparison to T2K and a Reactor Experiment



PHASE I (ONLY NEUTRINOS!)

+ 4% Systematic Error

Normal hierarchy

Inverted hierarchy



$$\Delta m^2_{13} = 2.4 imes 10^{-3} \ {
m eV}^2$$



If the systematic errors are ~ 5% the sensitivity is ~0.02



2 σ Resolution of the Mass Hierarchy





2 σ Resolution of the Mass Hierarchy





Ishitsuka, Kajita, Minakata and Nunokawa, PRD(2005)

Aihara





Similarly, if Tritium decay exp. (Hyper-Katrin) could exclude $m_{\nu_e} > \frac{1}{30} eV$, then Normal Hierarchy.



• Pure measurement of $\sin^2 \theta_{13}$ — no contamination from $\theta_{23} \leftrightarrow \frac{\pi}{2} - \theta_{23}$ degeneracy.

With Off-axis measurements of $\nu_{\mu} \rightarrow \nu_{e}$:

• of $\sin^2 \theta_{23} \sin^2 \theta_{13}$ can help resolve $\theta_{23} \leftrightarrow \frac{\pi}{2} - \theta_{23}$ degeneracy for $\sin^2 2\theta_{23} \neq 1$.

• Help resolve hierarchy and $\sin \delta \neq 0$, maybe.

CONVERSION TABLE (A la spanish, CHULETA)

$ heta_{13}$ (A la european)	$\sin^2 2 heta_{13}$ (A la american)	Experiment
9^{o}	0.1	CHOOZ (present bound)
6^o	0.04	MINOS
3^o	0.01	Future reactors.
$3^{o} - 1^{o}$	0.01-0.001	JPARC, NuMI OffAxis.
$< 1^{o}$	0.001	Neutrino factory.

1 MASS GAP DOMINANCE: Δm^2_{13}

$$P_{\nu_e \nu_e (\bar{\nu}_e \bar{\nu}_e)} = 1 - \sin^2 2\theta_{13} \sin^2 \left(\frac{\Delta_{13} L}{2}\right) ,$$

$$\begin{split} \mathsf{P}_{\nu_e \nu_\mu (\bar{\nu}_e \bar{\nu}_\mu)} &= \sin^2 2\theta_{13} \, \sin^2 \theta_{23} \, \sin^2 \left(\frac{\Delta_{13} \, L}{2}\right) \; , \\ \mathsf{P}_{\nu_e \nu_\tau (\bar{\nu}_e \bar{\nu}_\tau)} &= \sin^2 2\theta_{13} \, \cos^2 \theta_{23} \, \sin^2 \left(\frac{\Delta_{13} \, L}{2}\right) \; , \\ \mathsf{P}_{\nu_\mu \nu_\mu (\bar{\nu}_\mu \bar{\nu}_\mu)} &= \\ 1 - \cos^4 \theta_{13} \sin^2 \theta_{23} (1 - \cos^2 \theta_{13} \sin^2 \theta_{23}) \, \sin^2 \left(\frac{\Delta_{13} \, L}{2}\right) \; , \\ \mathsf{P}_{\nu_\mu \nu_\tau (\bar{\nu}_\mu \bar{\nu}_\tau)} &= \cos^4 \theta_{13} \, \sin^2 2\theta_{23} \, \sin^2 \left(\frac{\Delta_{13} \, L}{2}\right) \; . \end{split}$$

1 MASS GAP DOMINANCE:
$$\Delta m_{12}^2$$

 $P_{\nu_e\nu_e(\bar{\nu}_e\bar{\nu}_e)} \simeq 1 - \sin^2 2\theta_{12} \sin^2 \left(\frac{\Delta_{12}L}{2}\right),$

$$\begin{aligned} \mathsf{P}_{\nu_e \nu_\mu (\bar{\nu}_e \bar{\nu}_\mu)} &\simeq \cos^2 \theta_{23} \, \sin^2 2\theta_{12} \, \sin^2 \left(\frac{\Delta_{12} L}{2}\right) \,, \\ \mathsf{P}_{\nu_e \nu_\tau (\bar{\nu}_e \bar{\nu}_\tau)} &\simeq \sin^2 \theta_{23} \, \sin^2 2\theta_{12} \, \sin^2 \left(\frac{\Delta_{12} L}{2}\right) \,. \end{aligned}$$

REACTORS

$$P_{\nu_e\nu_e(\bar{\nu}_e\bar{\nu}_e)} = 1 - \sin^2 2\theta_{13} \sin^2 \left(\frac{\Delta_{13} L}{2}\right) - \cos^4 \theta_{13} \sin^2 2\theta_{12} \sin^2 \left(\frac{\Delta_{12} L}{2}\right)$$